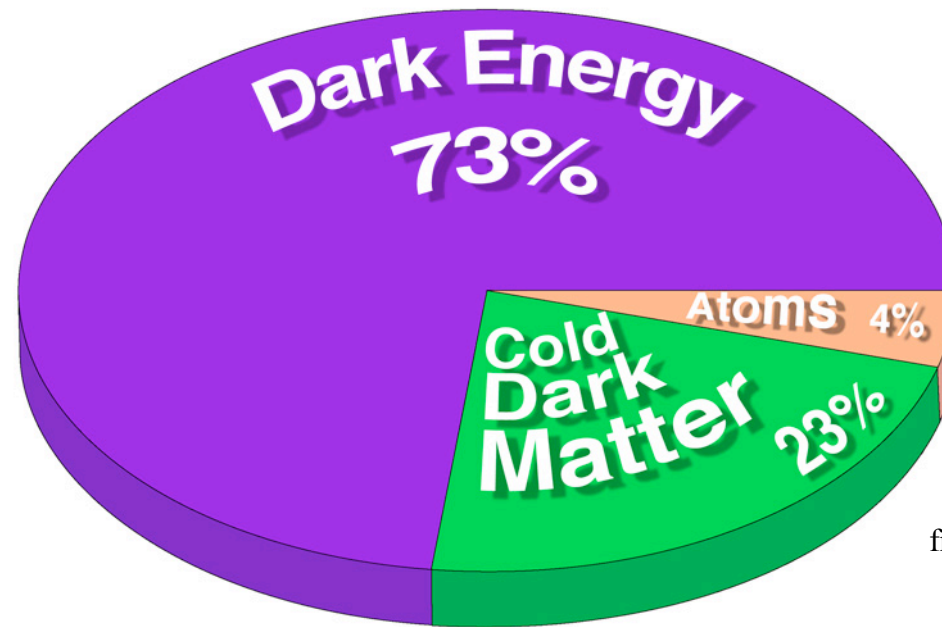


Observing dark energy (scalar field(s) ?).... in different ways



from WMAP web site



Raul Jimenez

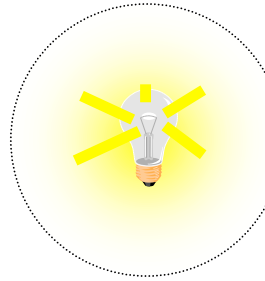
University of Pennsylvania

www.physics.upenn.edu/~raulj

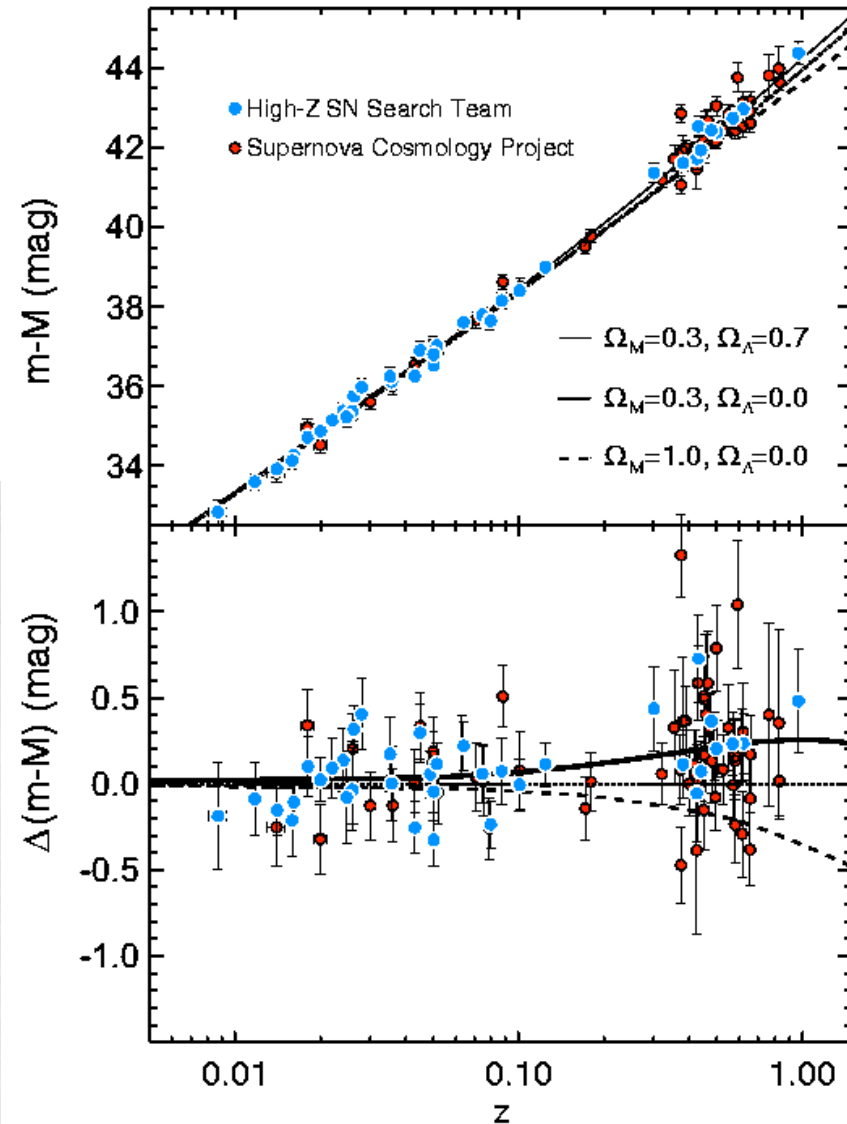
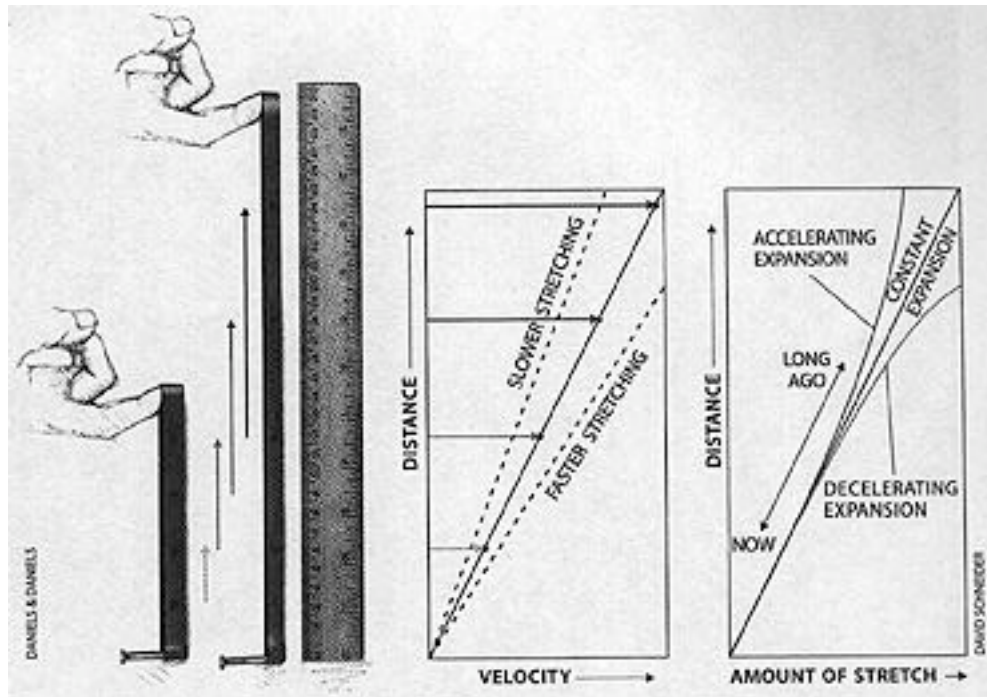
Supernovae

Standard candles

$$D_L = \sqrt{\frac{L}{4\pi F}}$$



Function of geometry and
Content of Universe

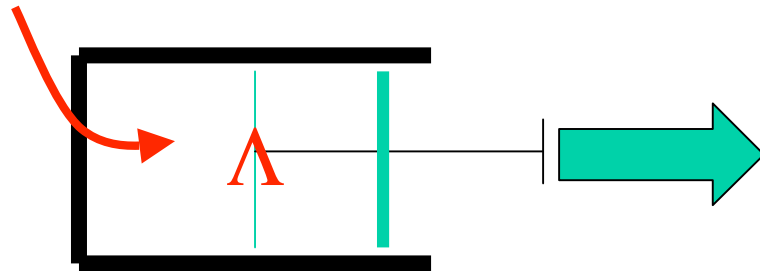


Vacuum energy



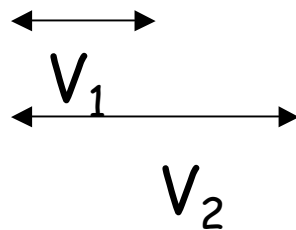
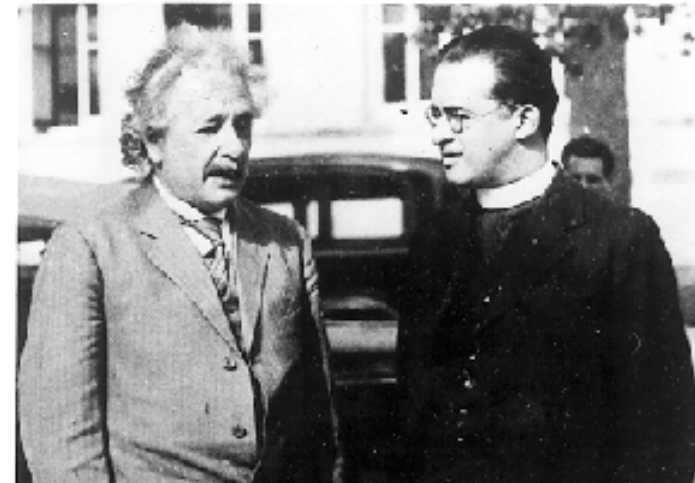
(also known as dark energy or cosmological constant)

vacuum



1917

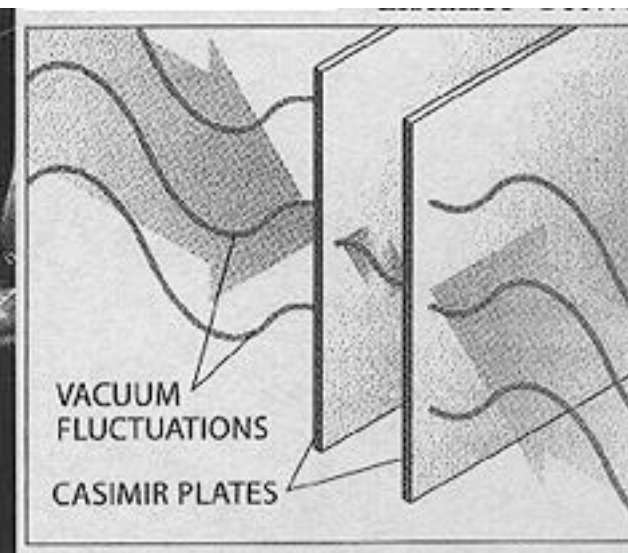
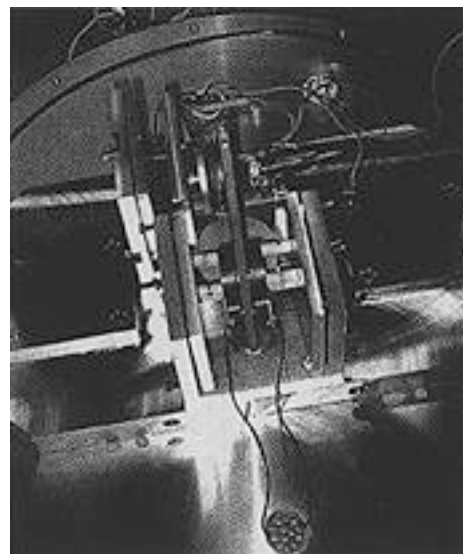
Negative
pressure!

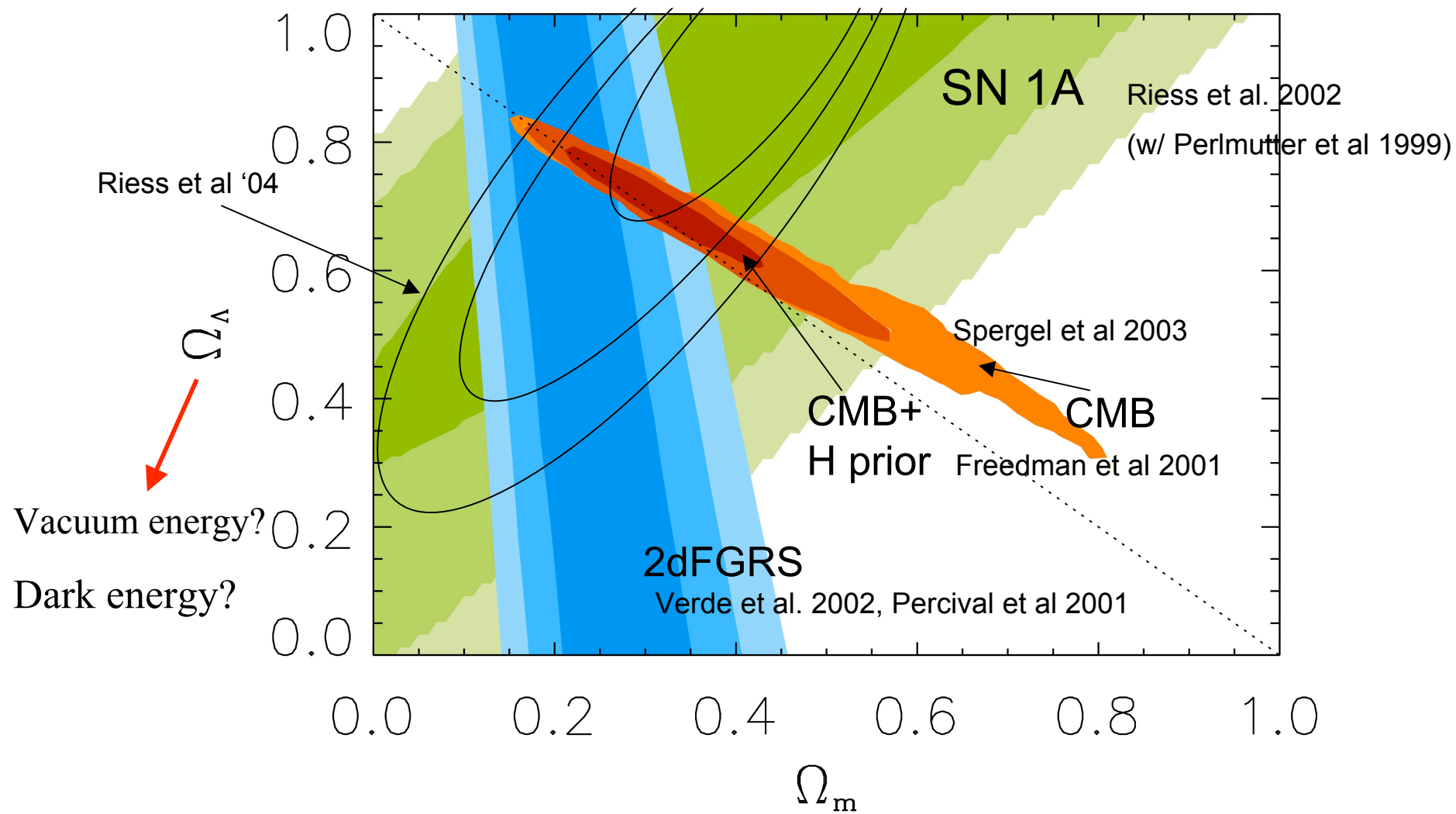


$$E_1 = \rho_v V_1$$

$$E_2 = \rho_v V_2$$

$$E_2 > E_1$$





from Verde (2003)

We can “measure” dark energy because of its effects on the expansion history of the universe: $a(t)$

$$\frac{\dot{a}(t)}{a(t)} = H(z) = -\frac{1}{(1+z)} \frac{dz}{dt}$$

$$H^2 = H_0^2 [\rho(z) / \rho(0)]$$

$$\dot{\rho}_Q = -3H(z)(1+w(z))\rho_Q$$

SN: measure d_L

$$d_L = (1+z) \int_z^0 (1+z') \frac{dt}{dz'} dz'$$

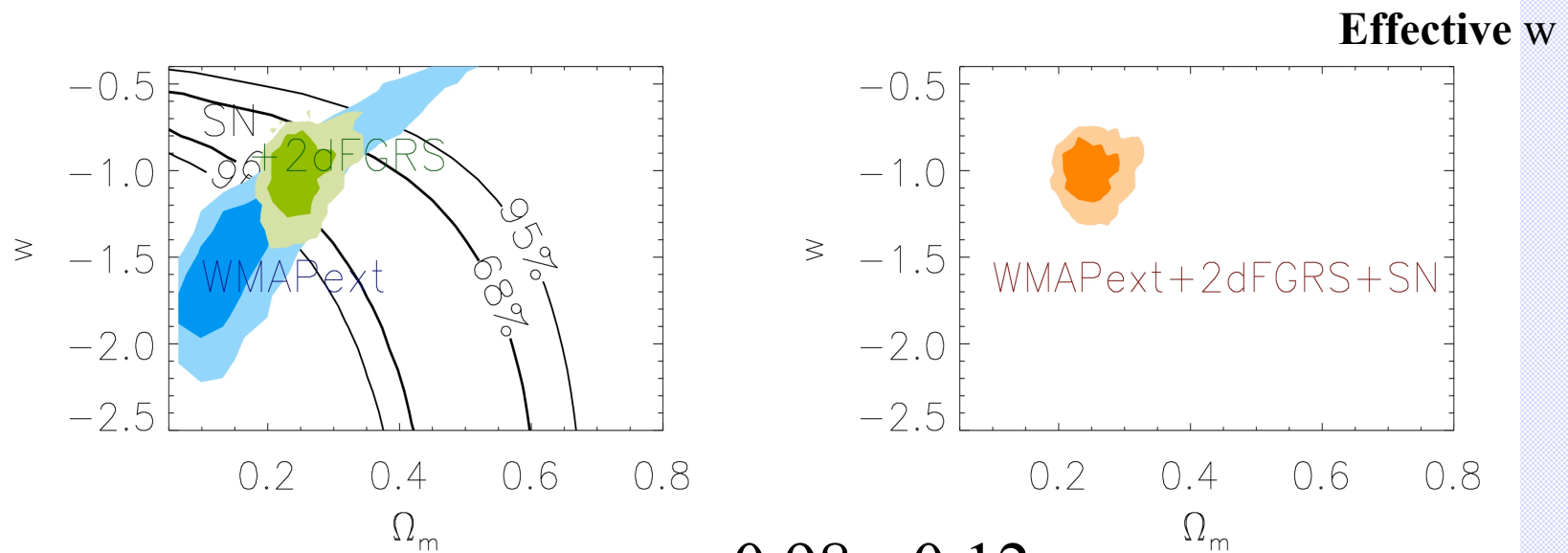
CMB: θ_A and ISW $\rightarrow a(t)$

LSS or LENSING: $g(z)$ or $r(z)$ $\rightarrow a(t)$

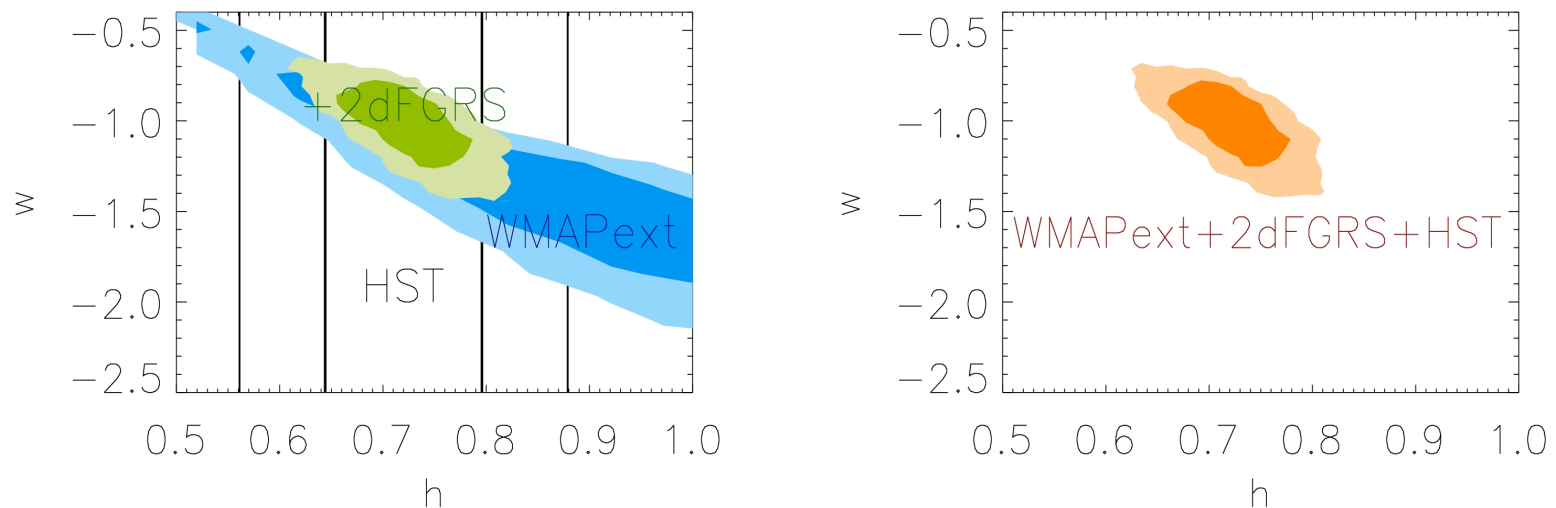
AGES: $H(z) \rightarrow a(t)$

$$H_0^{-1} \frac{dz}{dt} = -(1+z)^{5/2} \left\{ \Omega_m(0) + \Omega_Q(0) \exp \left[3 \int_0^z \frac{dz'}{(1+z')} w_Q \right] \right\}^{1/2}$$

1a: WMAP+external data sets: Constraints on Quintessence (?)



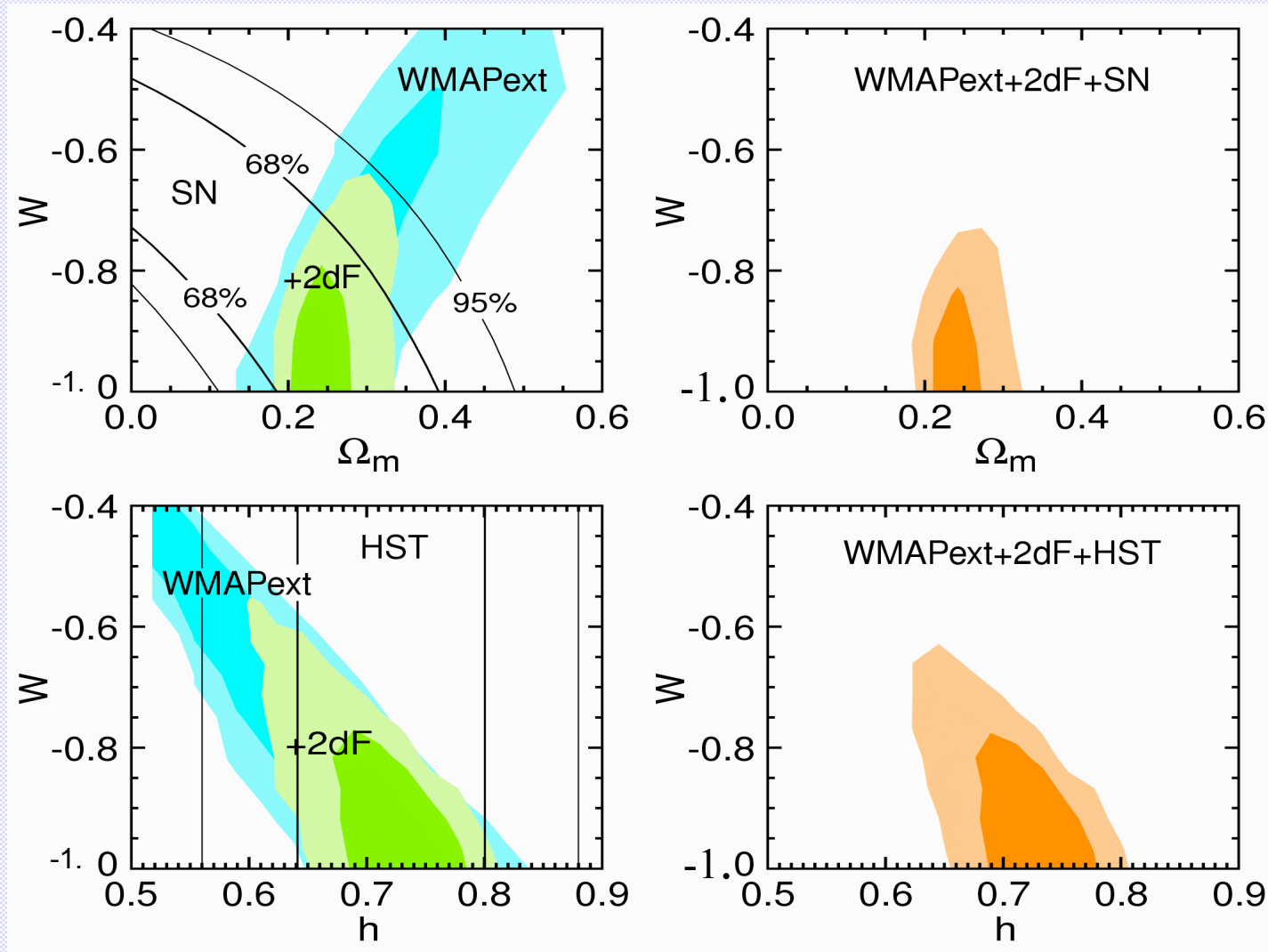
$$w = -0.98 \pm 0.12$$



(Spergel et al. 2003)

WMAP+external data sets:

Constraints on Quintessence Effective w

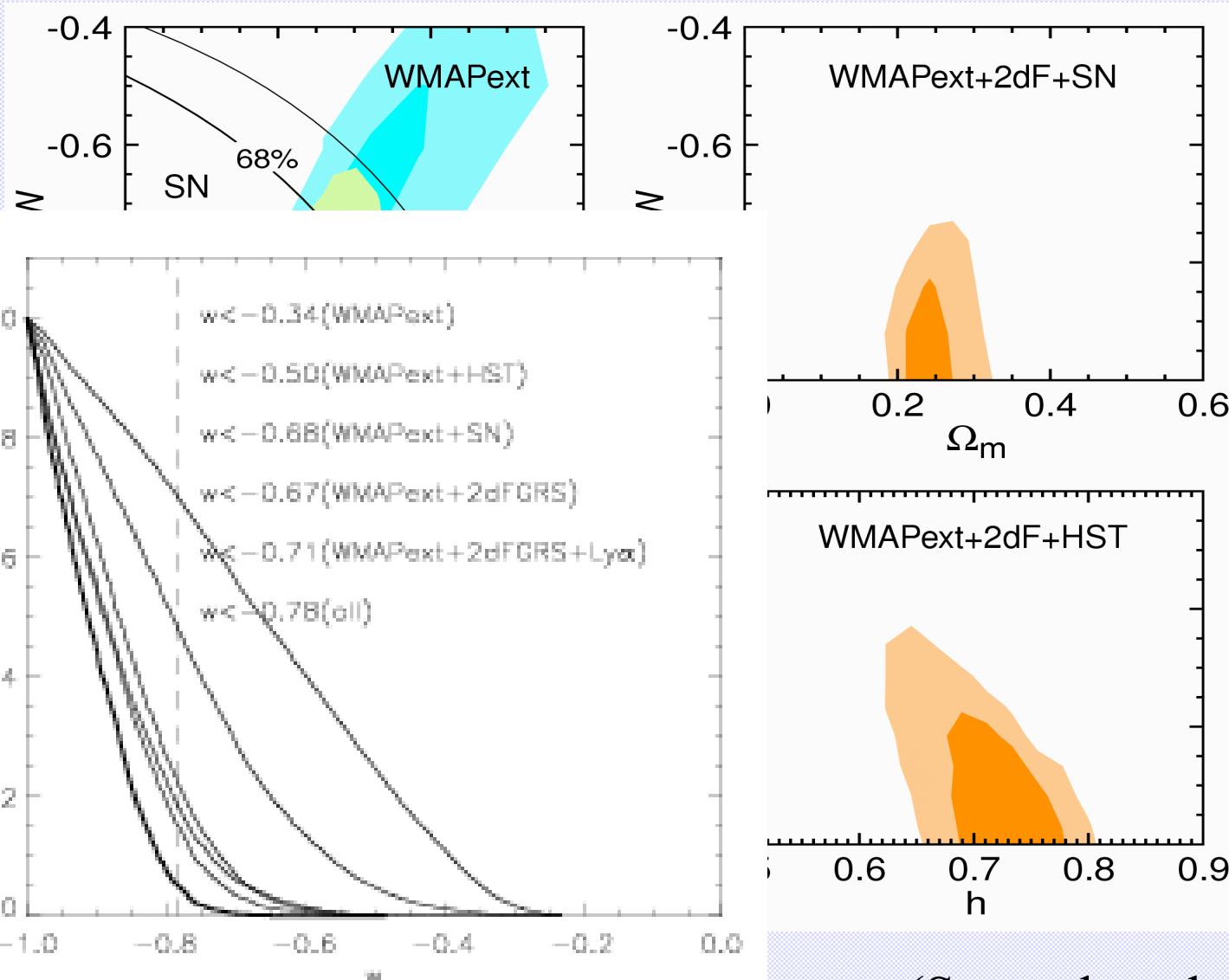


(Spergel et al. 2003)

WMAP+external data sets:

Constraints on Quintessence

Effective w



(Spergel et al. 2003)

LARGE SCALES:

1: CMB and Large scale structure

1a- **WMAP + external data sets results**

(WMAP team 2003)

results

1b- **CMB X lensing X Rees Sciama**

(Verde & Spergel 2002)

Future: ACT

SMALL SCALES:

2: A cosmologist's use of stars

2a- **Globular clusters ages**

(in collaboration with L. Verde, T. Treu, D. Stern 2003)

results

2b- **Non-parametric $w(z)$ (dz/dt) ?**

(in collaboration with Joan Simon, L. Verde 2003-2004)

preliminary

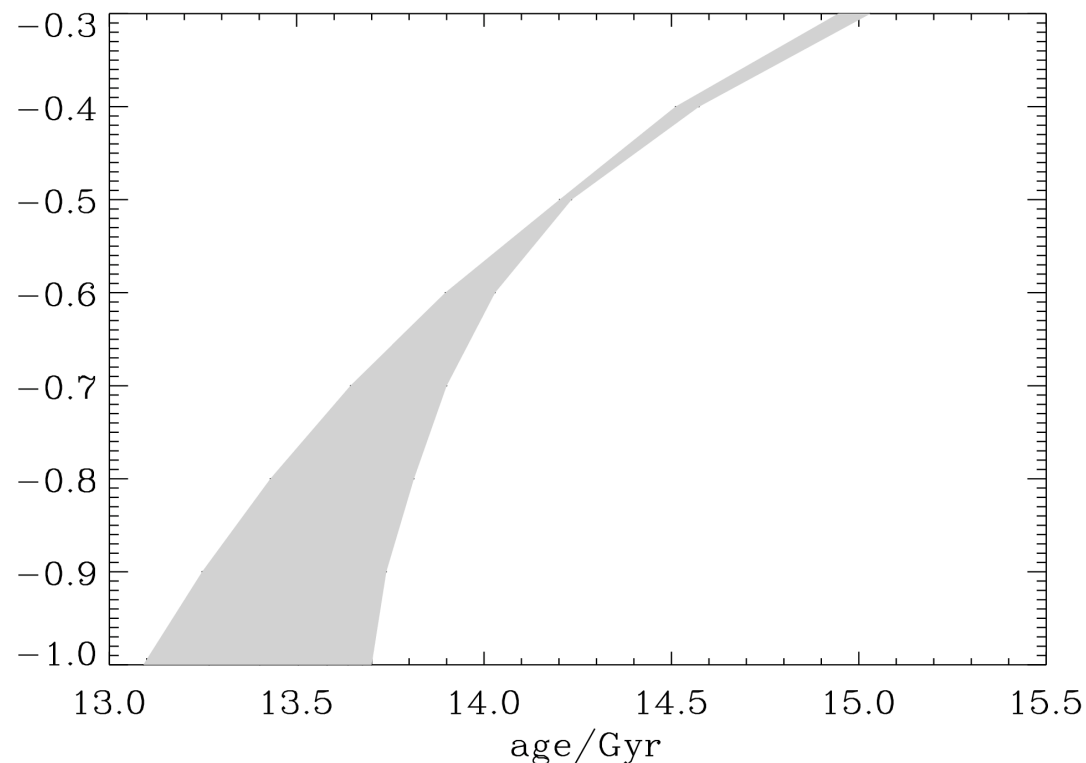
2a: Globular clusters ages: THEORY

Assume the universe to be **flat**: ℓ_1 depends on w and age

ℓ_1 = sound horizon(decoupling)/angular diameter distance (decoupling)

for a fixed value of w , a change in h^2 that keeps ℓ_1 fixed will also keep age unchanged (Cadwell et al. 1998, Knox et al. 2001, Hu et al. 2001)

Effective w →



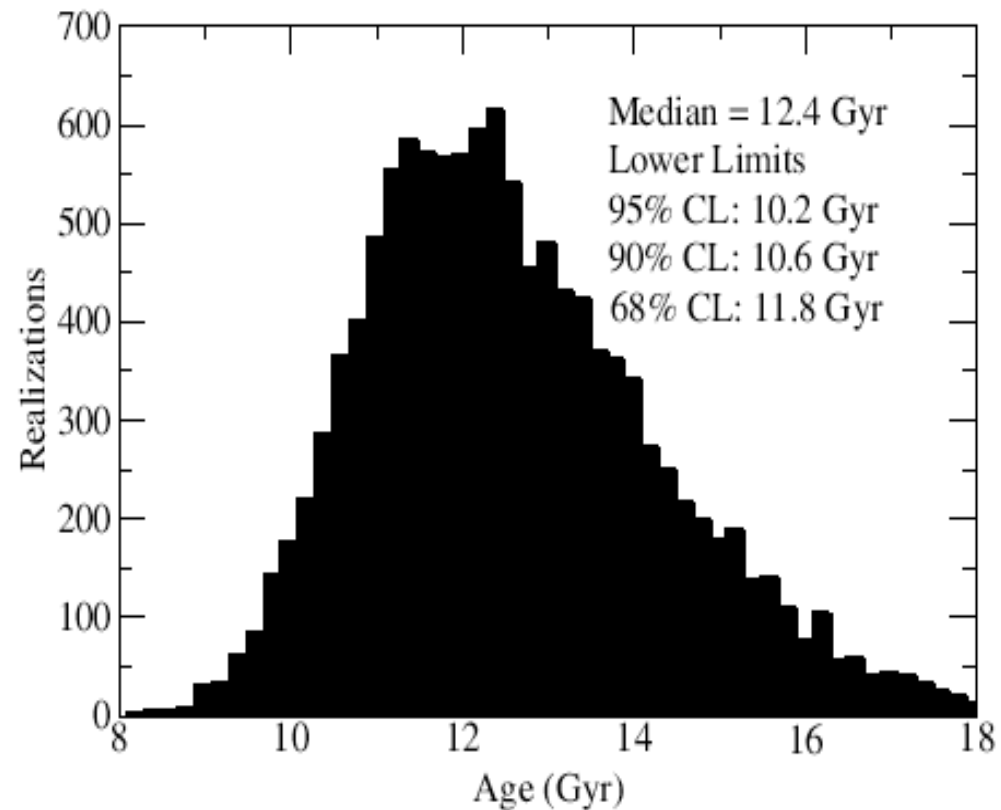
2a: Globular clusters ages: independent age estimate

Monte Carlo for
age of oldest GC
paying careful
attention to
systematics



M92

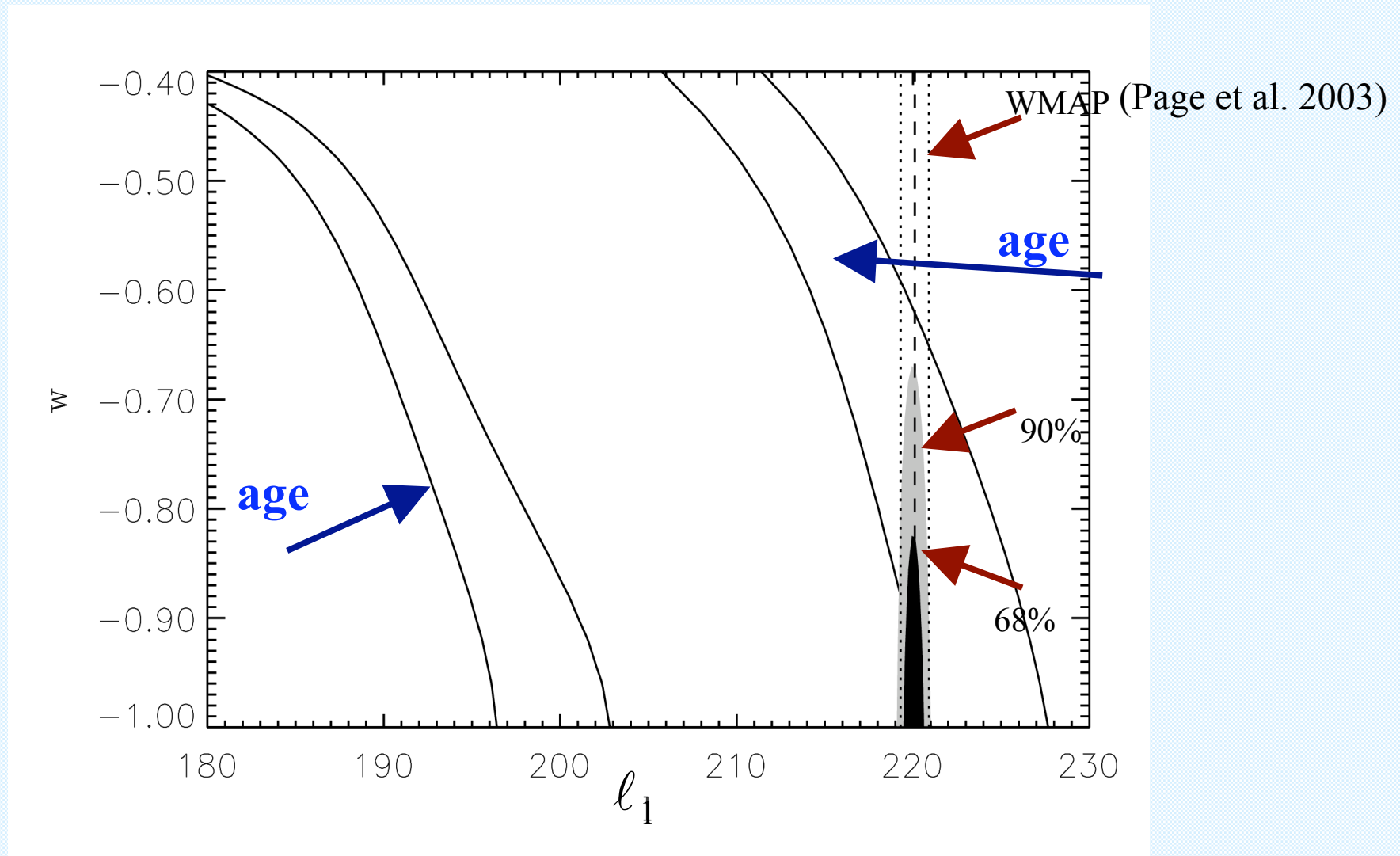
From Krauss & Chaboyer 2003



$$P(t) = \frac{A}{\sigma(t-T)} \exp\left[-\frac{\ln[(t-T)/m]^2}{2\sigma}\right]$$

OFFSET

2a: Globular clusters ages: **Constraint on “effective” w**



(Jimenez , Verde, Treu, Stern, 2003) Very weak priors on $50 < H < 95$
 $0 < m < 0.5$

1b: Dark energy and secondary CMB

(Verde, Spergel 2002, PRD)

$$\left. \frac{\Delta T}{T} \right|_{\gamma} \cong \frac{\Delta T^P}{T} + \underbrace{\frac{\Delta T^P}{T} \cdot \nabla \Theta}_{\text{Lensing}} + \frac{\Delta T^{NL}}{T} + SZ + \dots$$



High z (low l)

Lensing

Rees-Sciama

Gravitational potential

$$\Theta(\gamma) = -2 \int_0^{r_*} \frac{r_* - r}{r_* r} \Phi(r, \gamma r) dr$$

Depends on Ω_0, w

ISW, but non-linear

$$\frac{\Delta T^{NL}}{T} = 2 \int \frac{\partial}{\partial t} \Phi^{NL}(r, \gamma r) dr$$

Low z
(high l)

1b: Bispectrum :

Luo 1994,.... Spergel Goldberg 1999, Goldberg, Spergel 1999, Komatsu, Spergel 2001 etc...

to couple the high z universe (low ℓ) to the low z universe (high ℓ) via the weak lensing signal

$$B_{\ell_1 \ell_2 \ell_3}^{m_1 m_2 m_3} = \langle a_{\ell_1}^{m_1} a_{\ell_2}^{m_2} a_{\ell_3}^{m_3} \rangle = \begin{pmatrix} \ell_1 \ell_2 \ell_3 \\ m_1 m_2 m_3 \end{pmatrix} B_{\ell_1 \ell_2 \ell_3}$$

Consider primordial, lensing & Rees-Sciama:

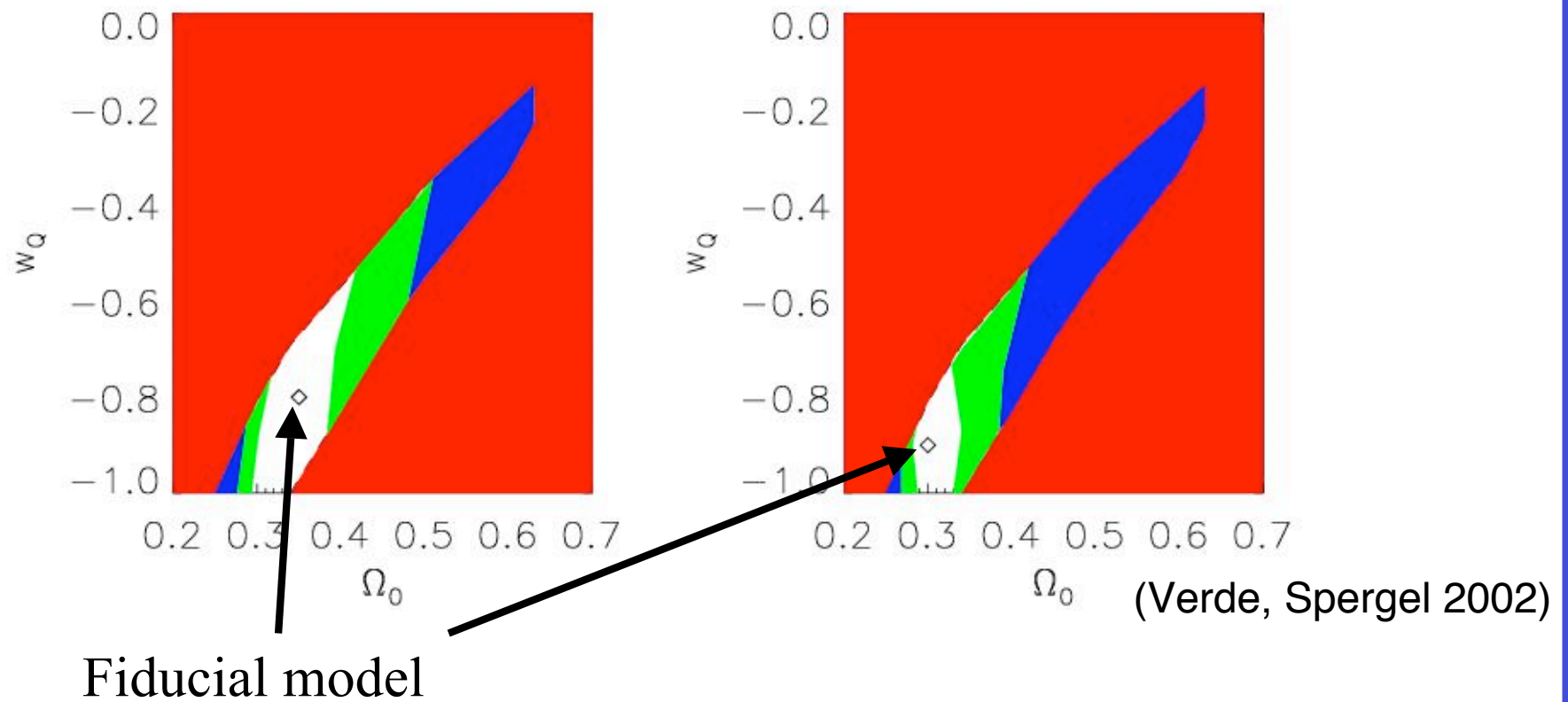
Balance of 2 competing contributions:

- **Decay of gravitational potential** (non Einstein de Sitter Universe)
- **Amplification due to non-linear gravitational evolution**

Balance depends on Ω_m and w

Bispectrum: Cross correlating primordial-lensing-Rees Sciama

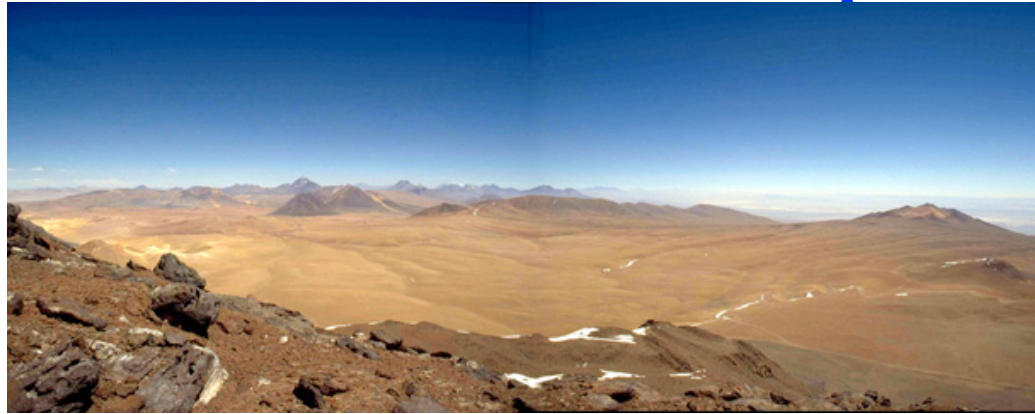
ACT+WMAP2yr data



See also Giovi Baccigalupi, Perrotta 2003 for $w(z)$



The ACT telescope



The Atacama in Chile

5200 meter elevation, dry, low turbulence, close to ALMA

More info: <http://www.physics.upenn.edu/act>

6 m telescope

CCD like array of bolometers

100 sq degrees

3 frequencies for SZ

145, 220, 270 GHz

1.7'

Beam Lyman Page



PENN

THE STATE UNIVERSITY OF NEW JERSEY
RUTGERS



Princeton

U of T
Toronto



CUNY



Columbia



Católica

NIST

National Institute of
Standards and Technology

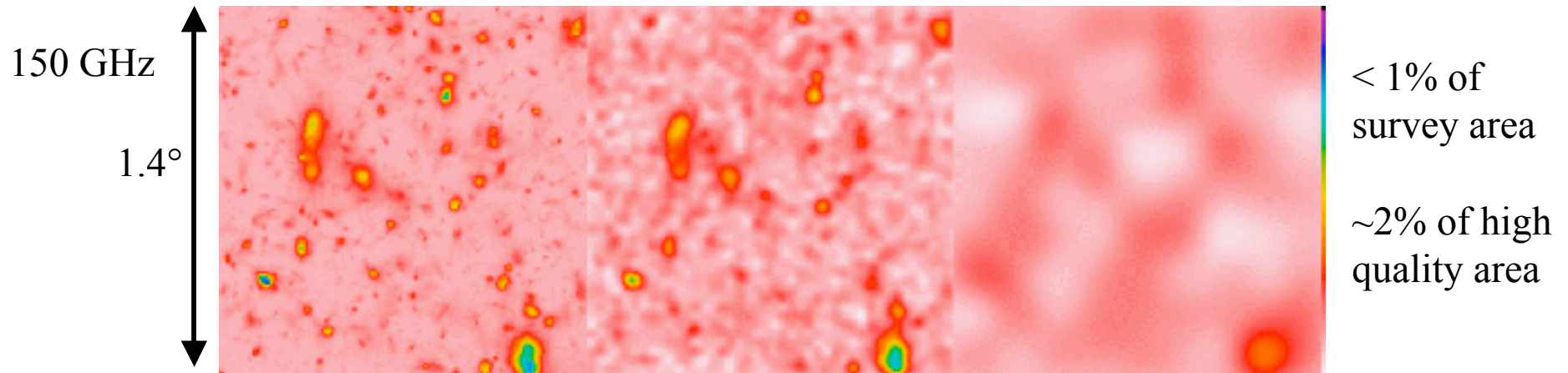


Haverford



NASA Goddard Space Flight Center

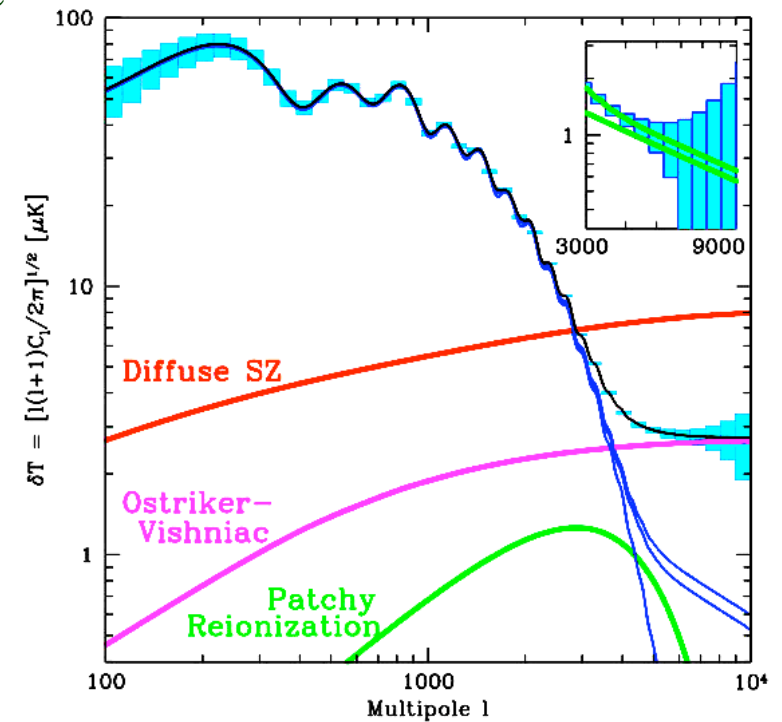
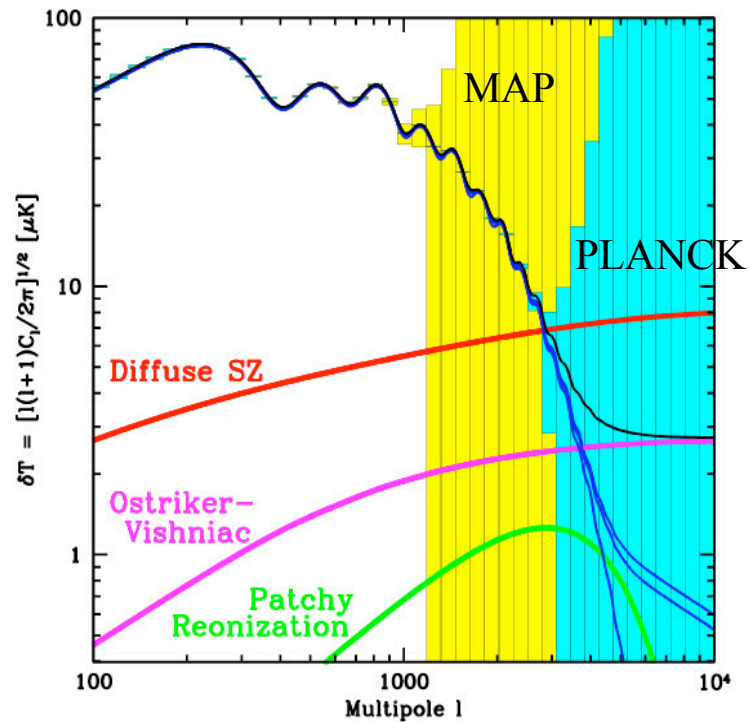
Arcminute Resolution mm-wave Observations



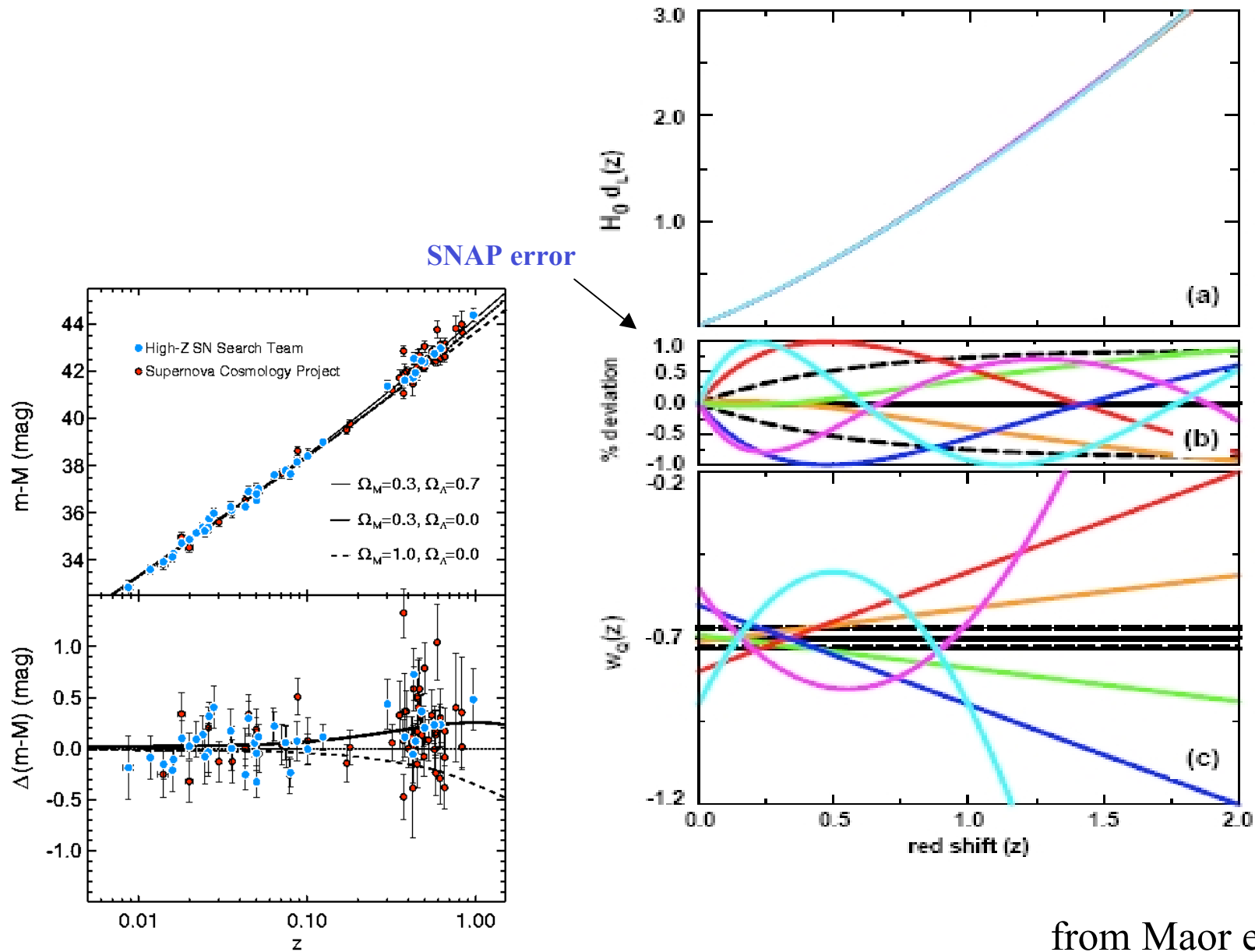
SZ Simulation

MBAC on ACT 1.7' beam w/ 2X noise

PLANCK



Reconstructing w : a difficult task



2b:Reconstruct $w(z)$: use dz/dt

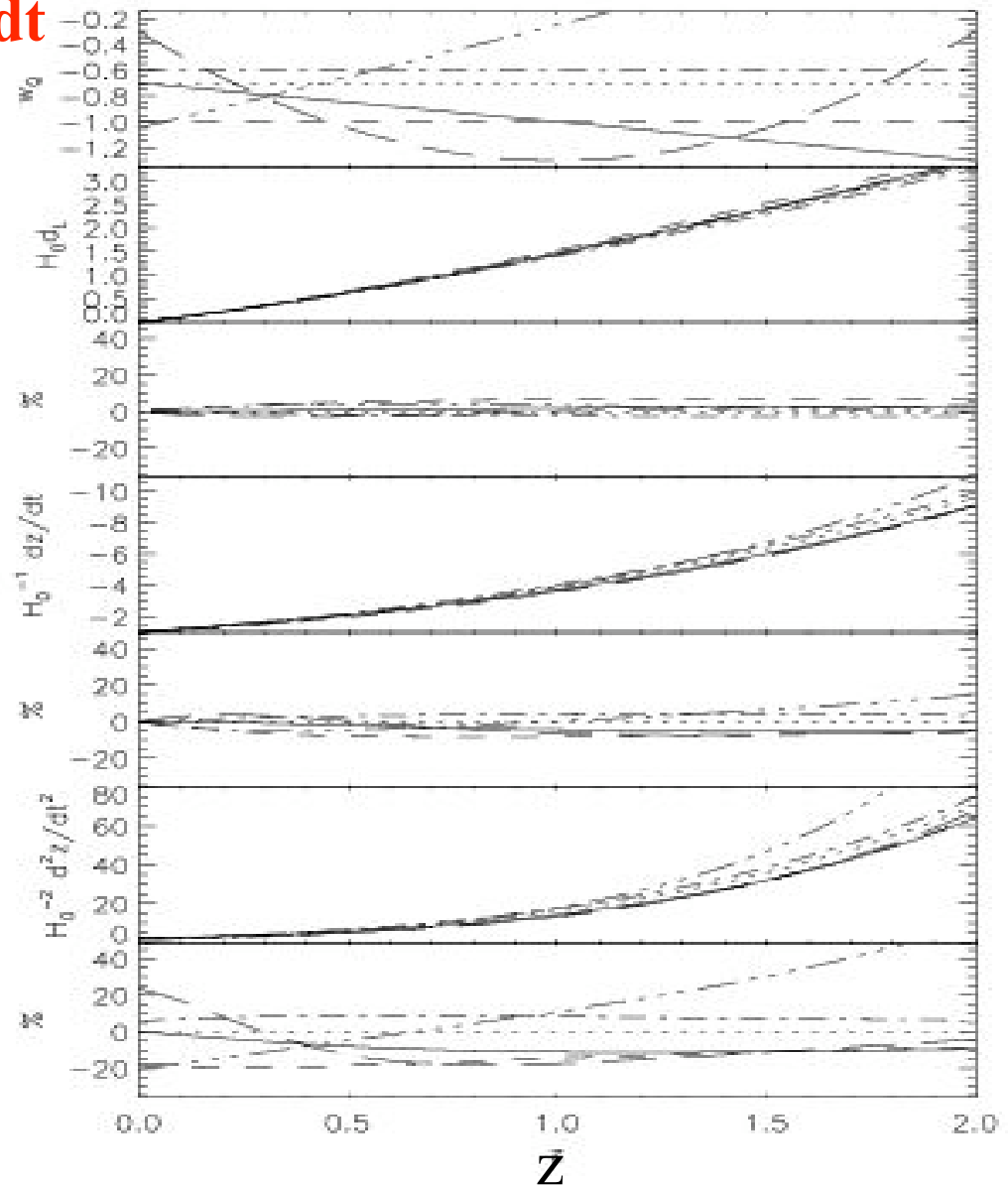
Non-parametric!

Note: $d_L = (1+z) \int_z^0 (1+z') \frac{dt}{dz'} dz'$

$$H(z) = -\frac{1}{(1+z)} \frac{dz}{dt}$$

$w(z)$ in here

$$\frac{d^2 z}{dt^2} = \left(\frac{dz}{dt} \right)^2 (1+z)^{-1} \left(\frac{5}{2} + \frac{3}{2} w(z) \right) - \frac{3}{2} \Omega_m (1+z)^4 w(z)$$



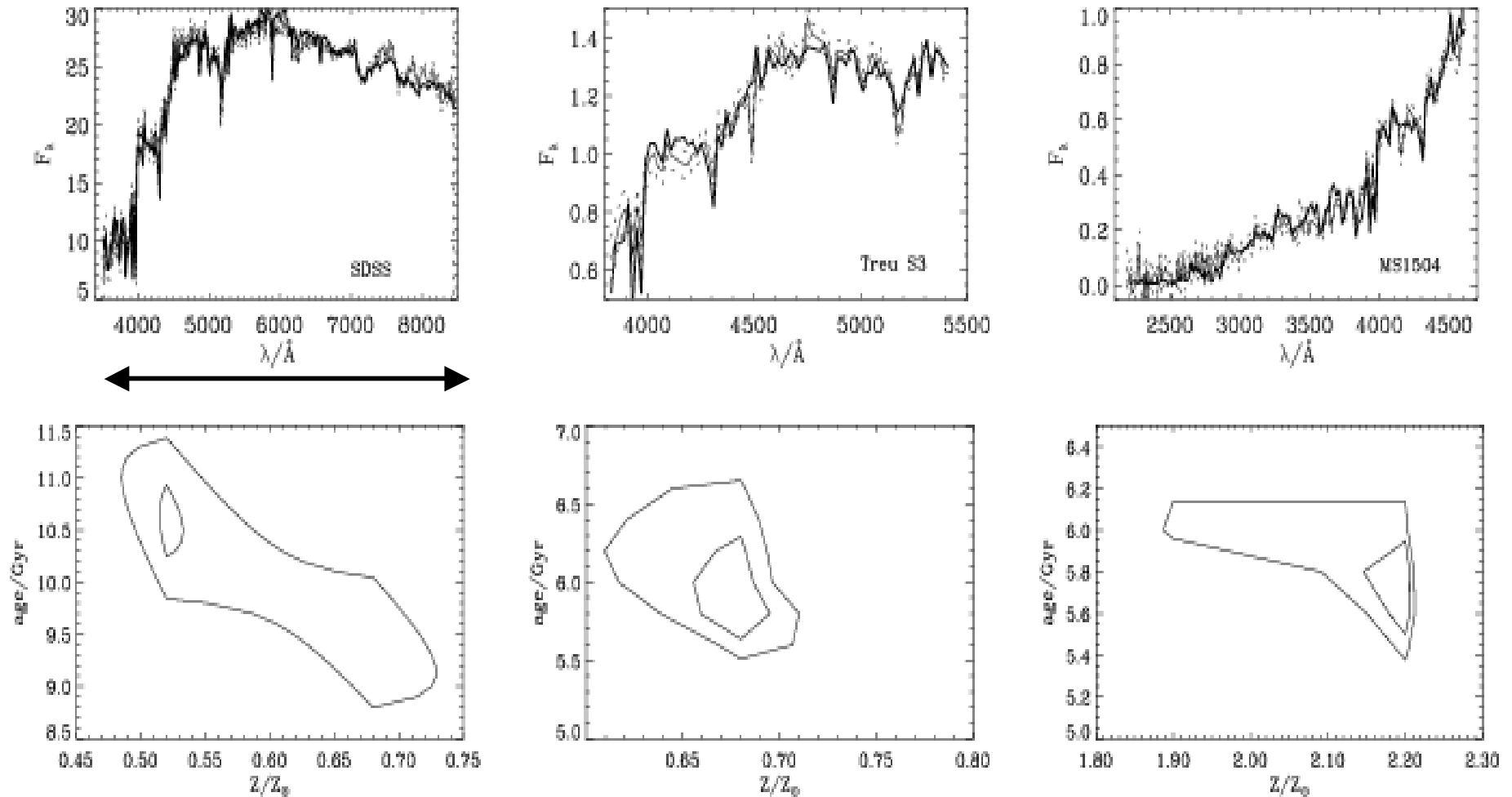
(from Jimenez & Loeb 2002)

2b:Reconstruct $w(z)$: **cosmic chronometers**

The Red Envelope

Old, passively evolving galaxies

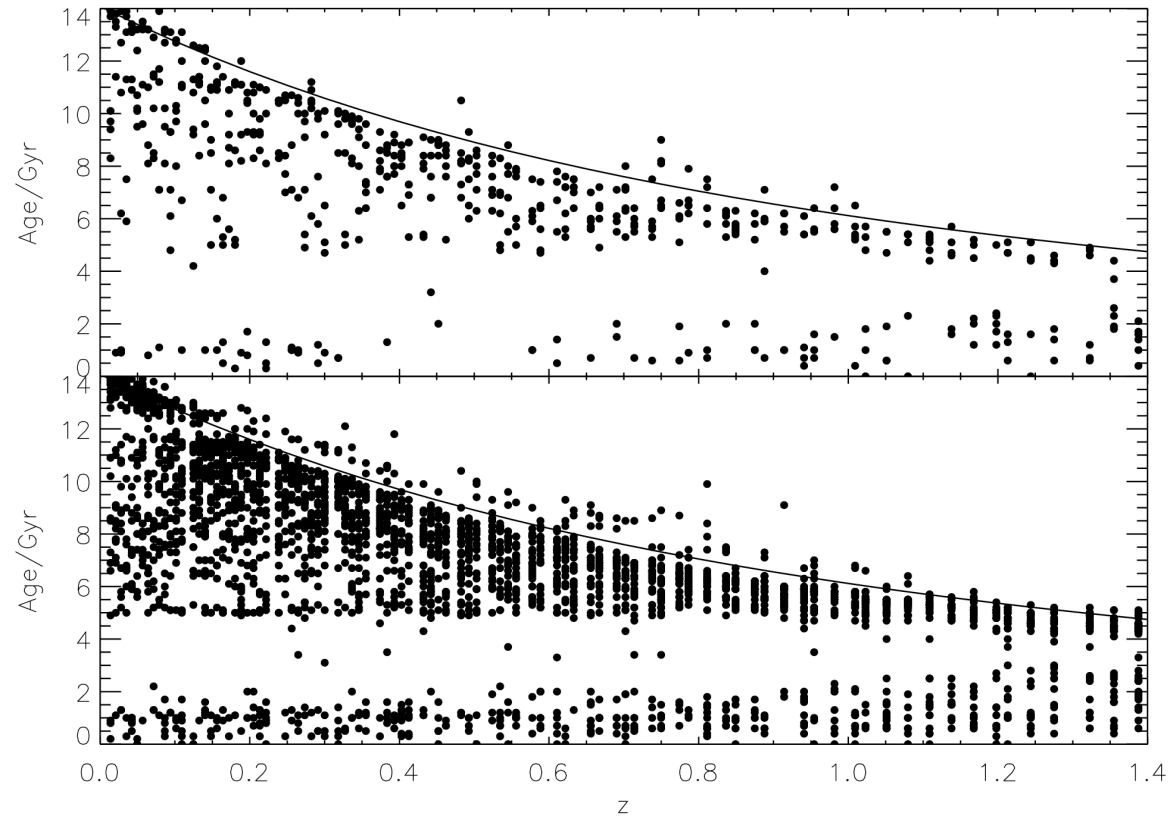
Is it possible to obtain accurate ages?



(From Jimenez, LV, Treu, Stern 2003)

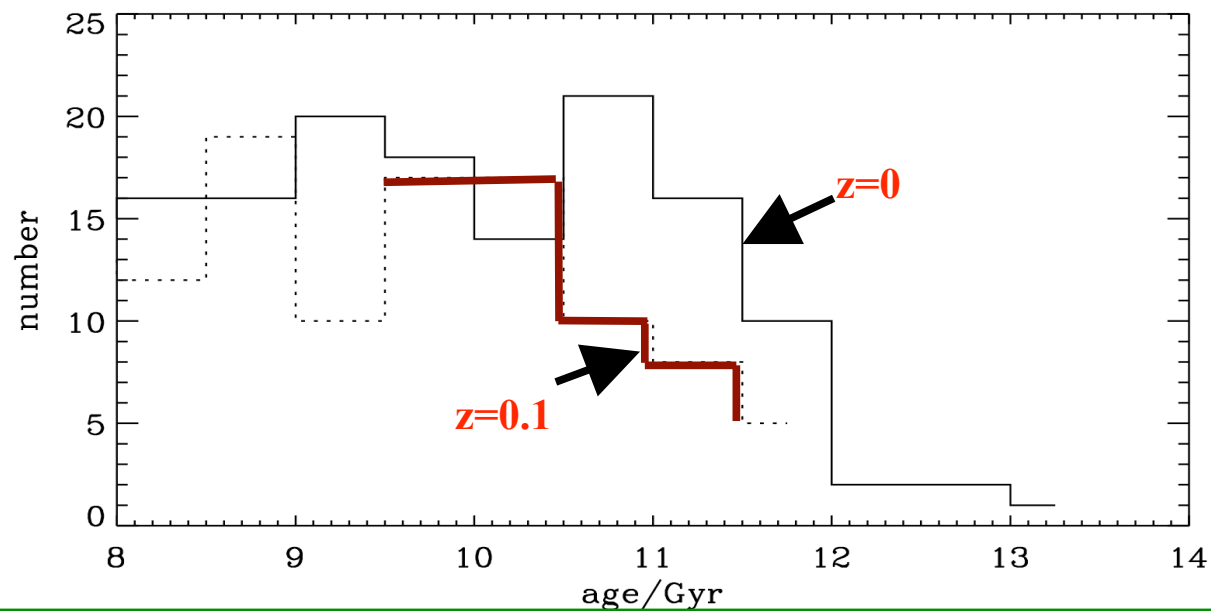
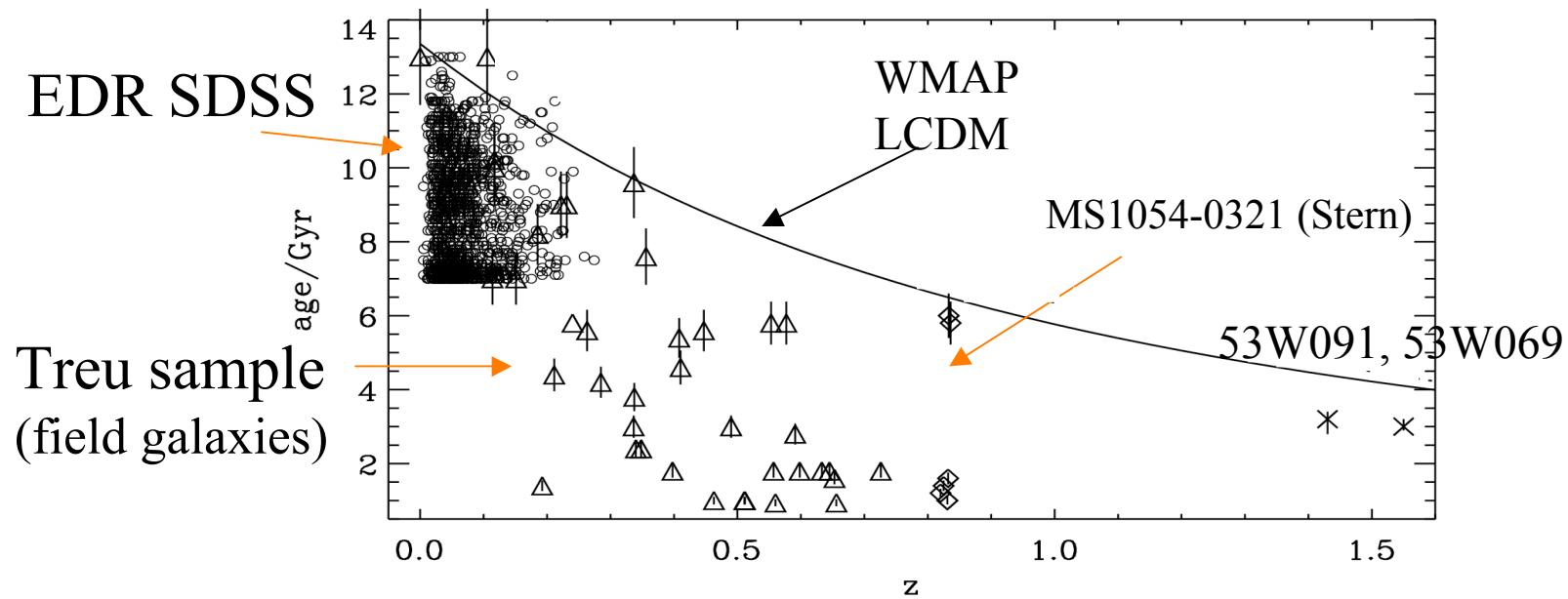
2b: Simulating the “edge”, error budget, tests for sistematics

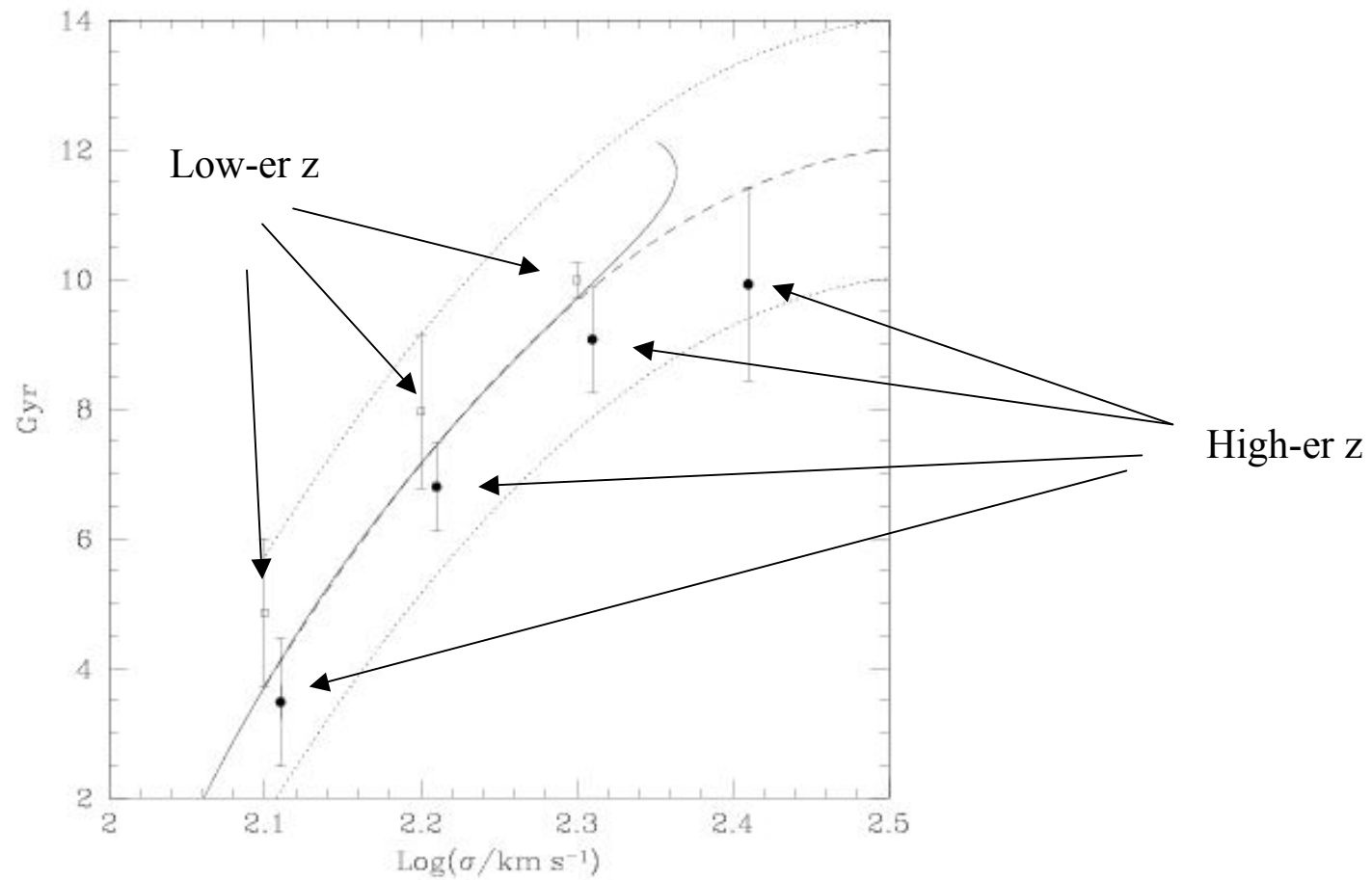
Small burst of SF?



See also Jimenez & Loeb 2001

2b:Reconstruct $w(z)$: Age-redshift relation





From Bernardi et al. 2003

2b:Reconstruct $w(z)$ with dz/dt : **Difficult, BUT:**

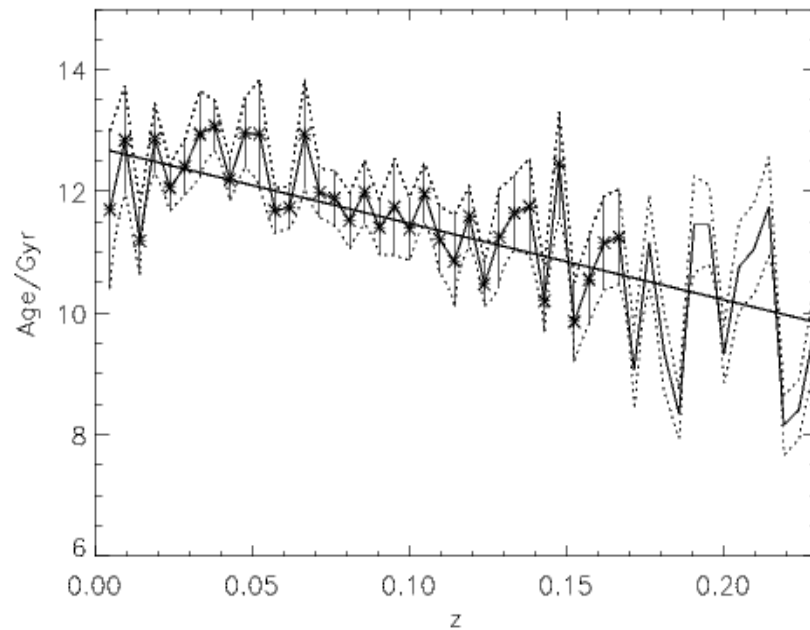
- Relative ages !!!
- Battery of tests for effects possible systematics
(Jimenez & Loeb 2002, Jimenez , LV, Treu, Stern 2003)
- At $z \approx 1$ the rest frame UV spectrum of ellipticals is dominated by main sequence stars
- You've got to be honest with uncertainties
- Many high S/N spectra will help improve the statistics.

Neutrinos lesson

2b:Reconstruct $w(z)$: CAN IT work?

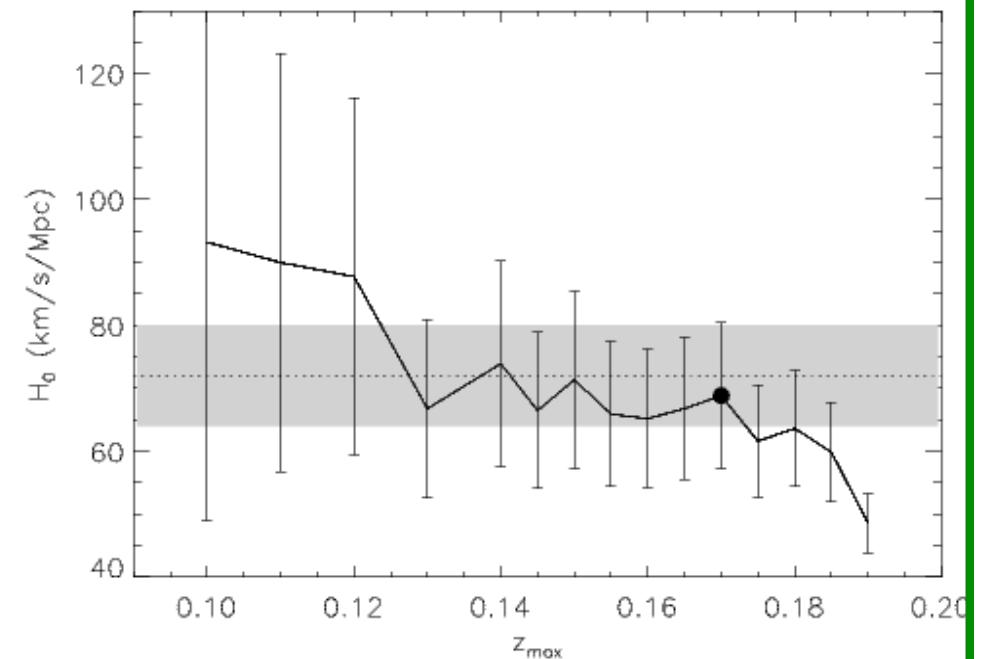
At $z=0$ dz/dt gives H_0 and we have SDSS galaxies:

$$H(z) = -\frac{1}{(1+z)} \frac{dz}{dt}$$



The value of H_0

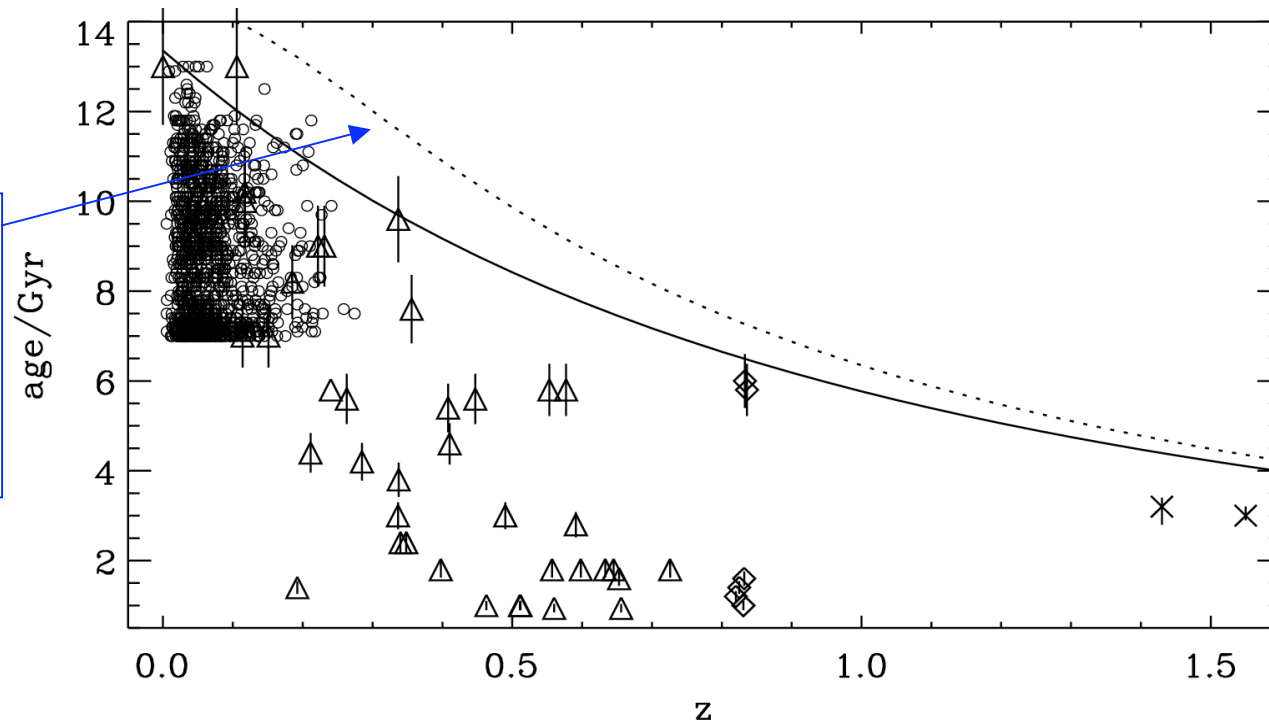
The edge for $z < 0.2$



2b: Reconstruct $w(z)$: Age-redshift relation

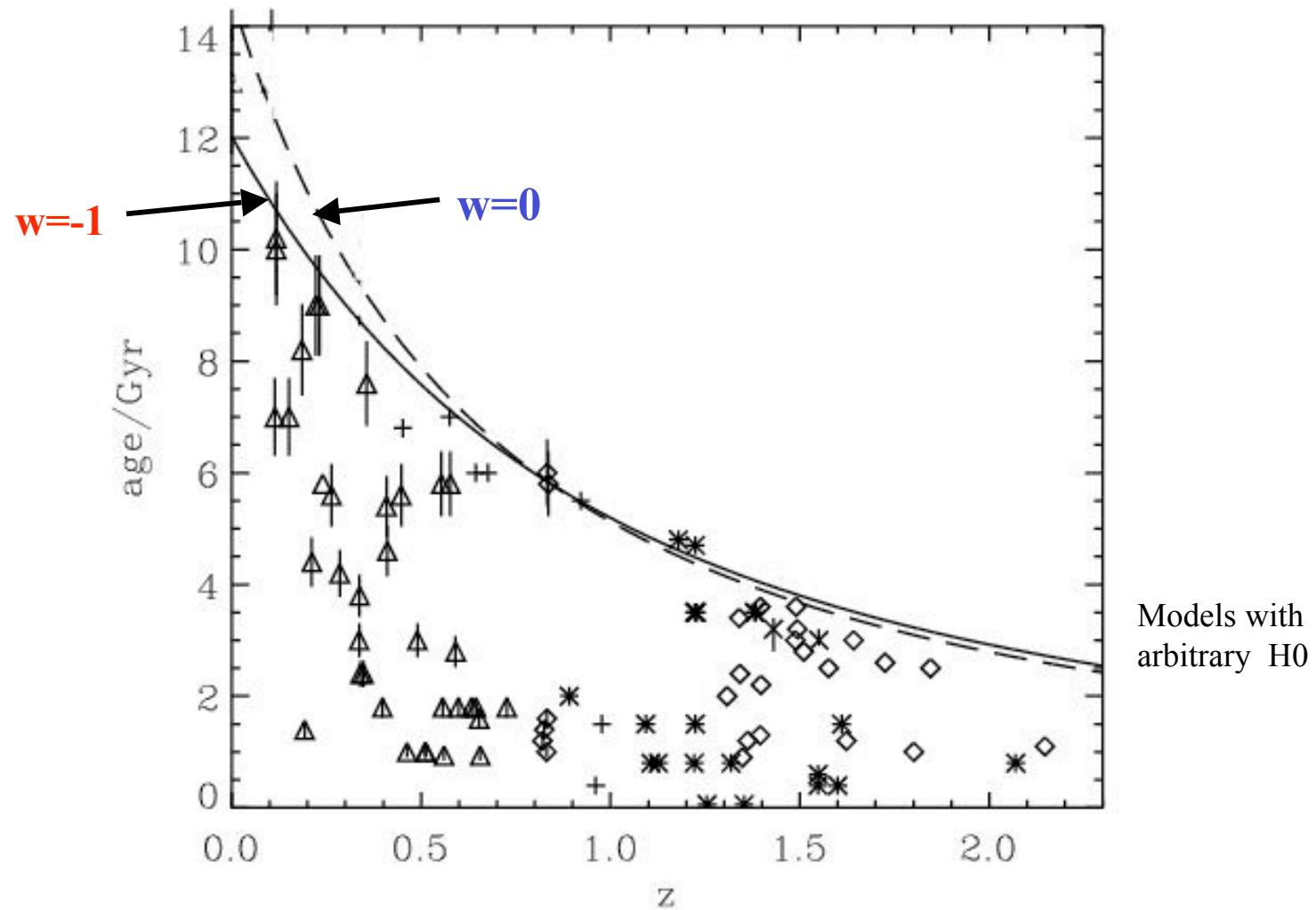
preliminary

$w = -2 \quad z > 1$
Linearly to
 $w = 0 \quad \text{for } 0 < z < 1$



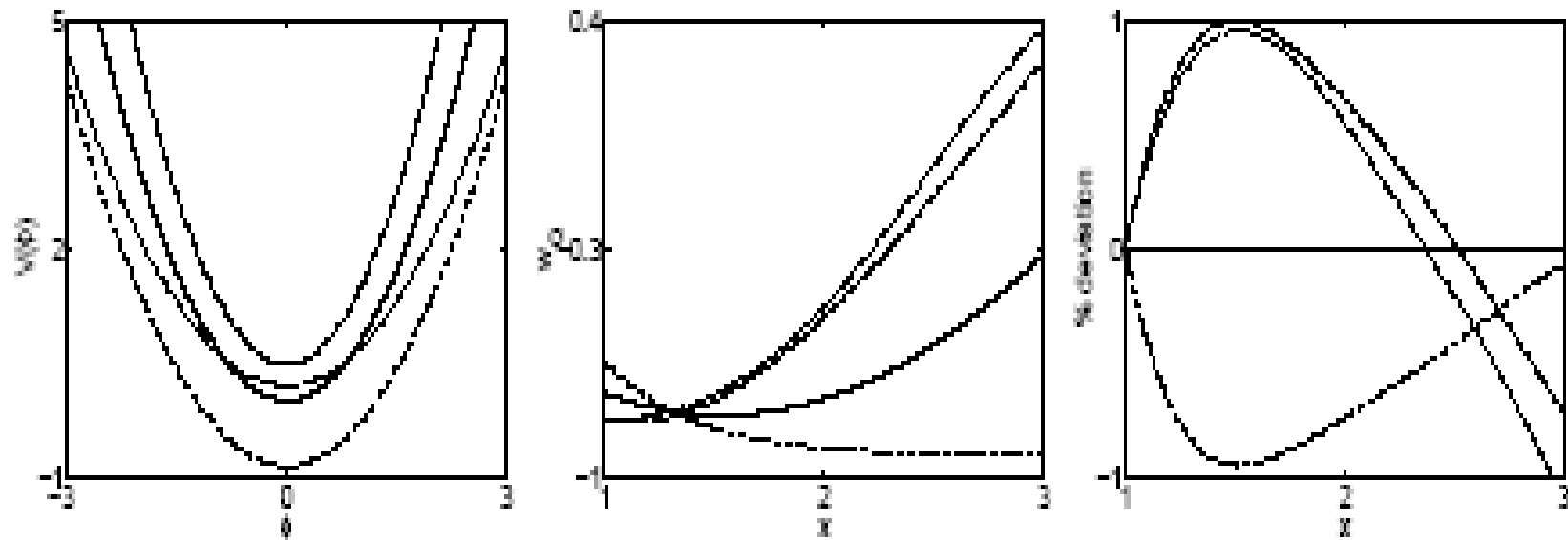
**Every high- z spectrum helps:
Please give generously!**

New data at high- z



ACT will observe about 1000 clusters (50000 spectra up to $z \sim 1$)

The almost “impossible” task of reconstructing the potential



from Maor et al. 2002

CONCLUSIONS

The effective w is around -1 .

It's important to beat systematics by using cross checks.

WMAPext: $w = -0.98 \pm 0.12$

CG ages: $w < -0.8$

SDSS consistent

For the moment, looks like dark energy is consistent with Λ

The next challenge is to track $w(z)$ possibly in a non-parametric way

I have shown a preliminary attempt to do just this using relative ages

More data are needed